

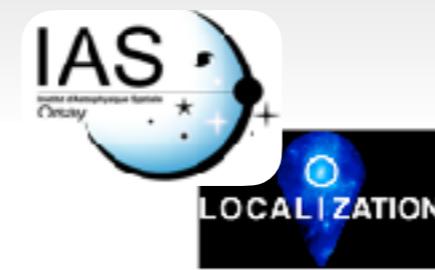
# Minimizing systematics with CLONES

## (Constrained LOcal & NEsting Environment Simulations)

Jenny Sorce  
and many collaborators

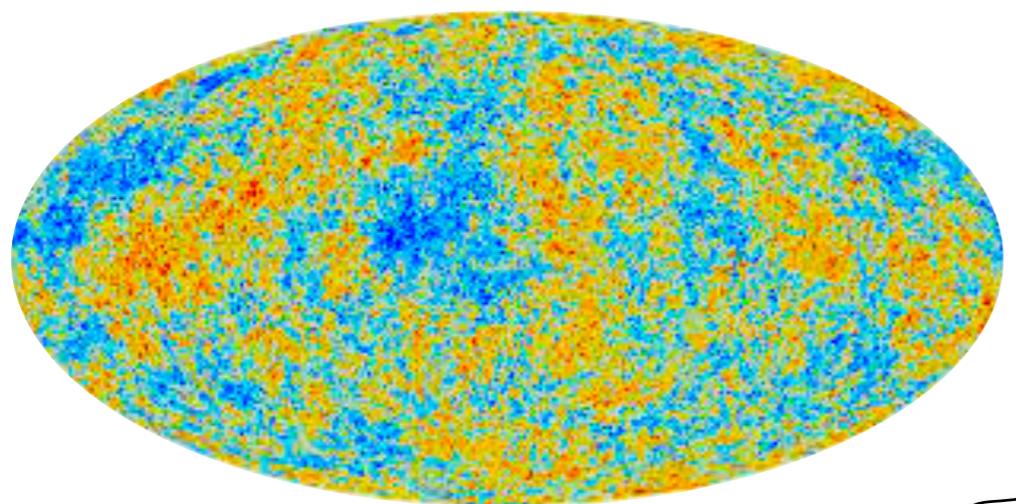
Researcher at CRISTAL, Lille & Associate Researcher at IAS, Orsay &  
Guest researcher at AIP, Potsdam & CAS fellow at LMU, Munich

CosmoVerse@Lisbon - May 30<sup>th</sup>, 2023

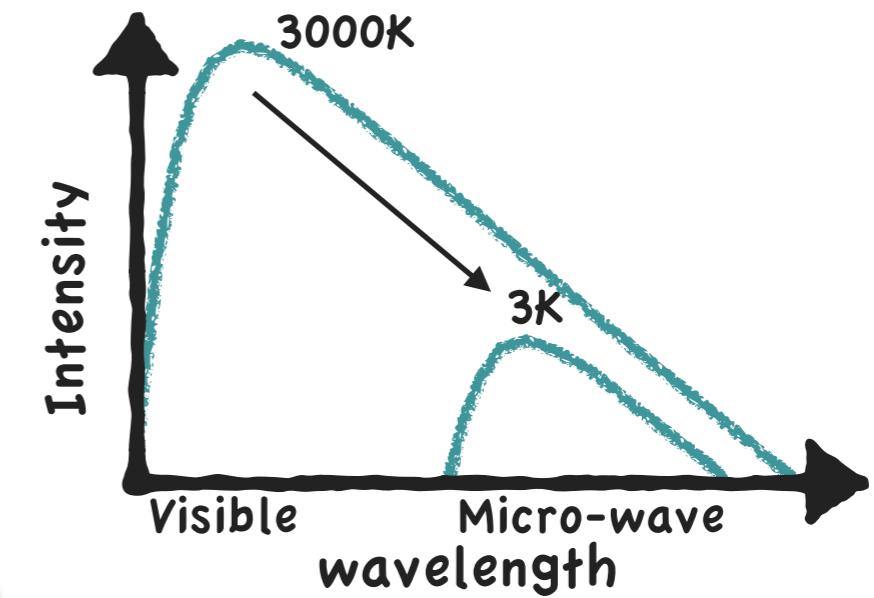


# Cosmology: $\Lambda$ CDM?

## Cosmic Microwave Background

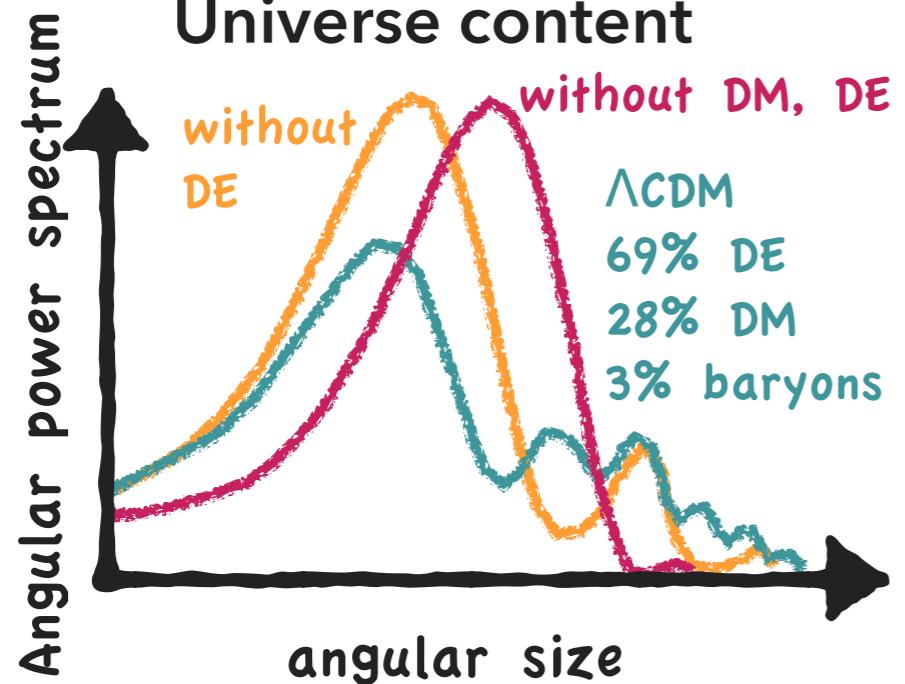


## Universe expansion

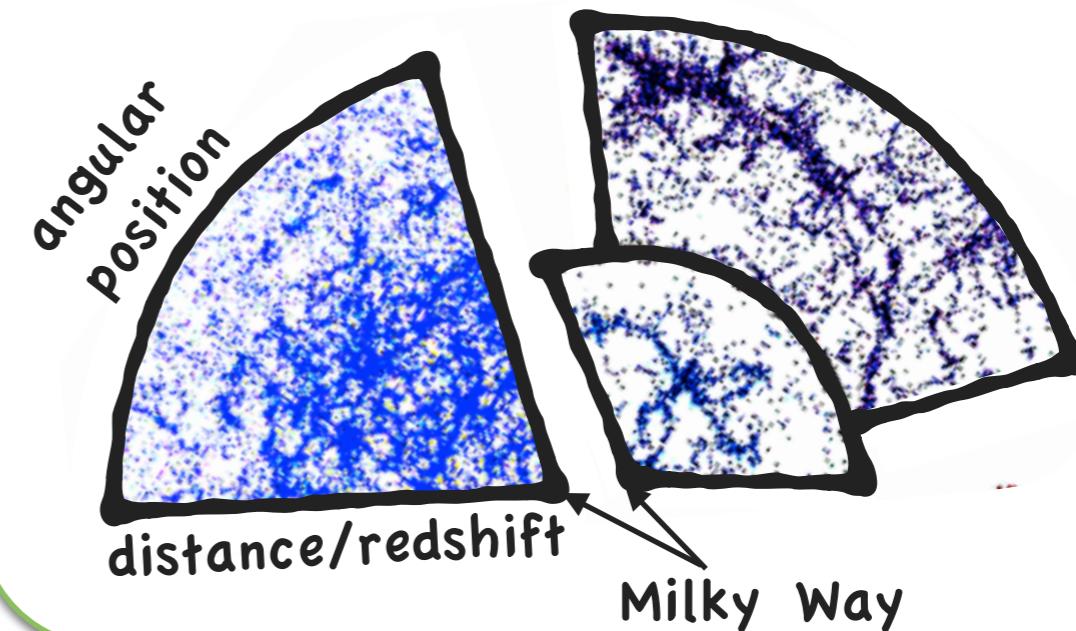


$\Lambda$ CDM

## Universe content

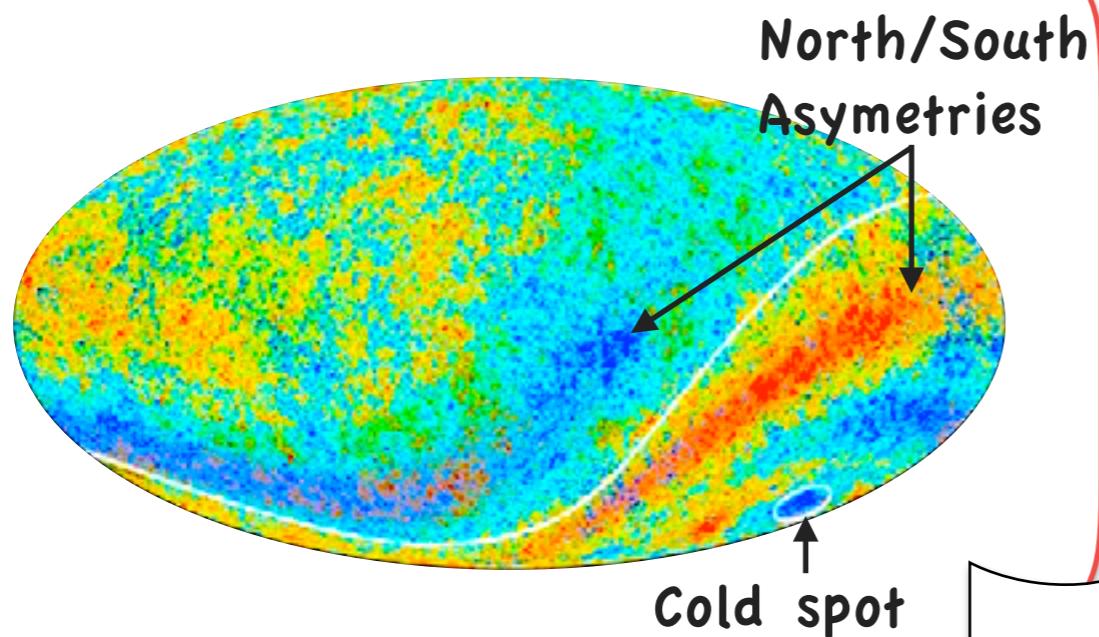


## Cosmic Web and galaxies

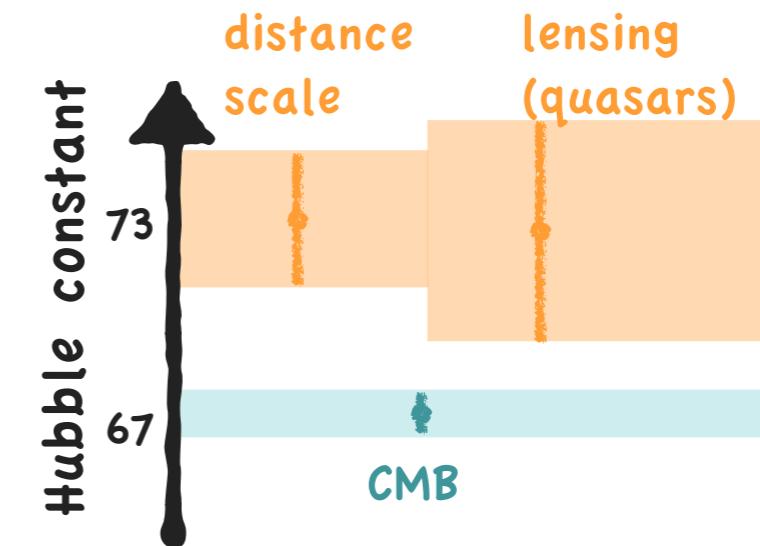


# Cosmology: $\Lambda$ CDM?

## Anomalies in the CMB

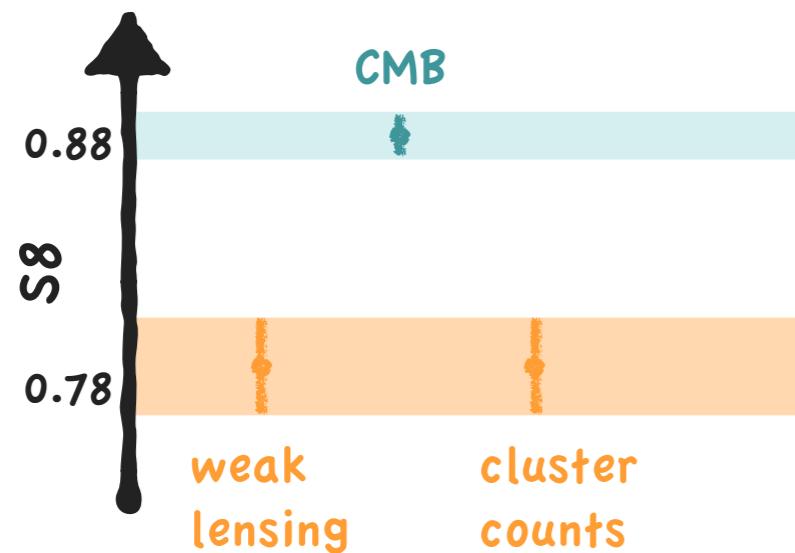


## Universe expansion rate ( $H_0$ )

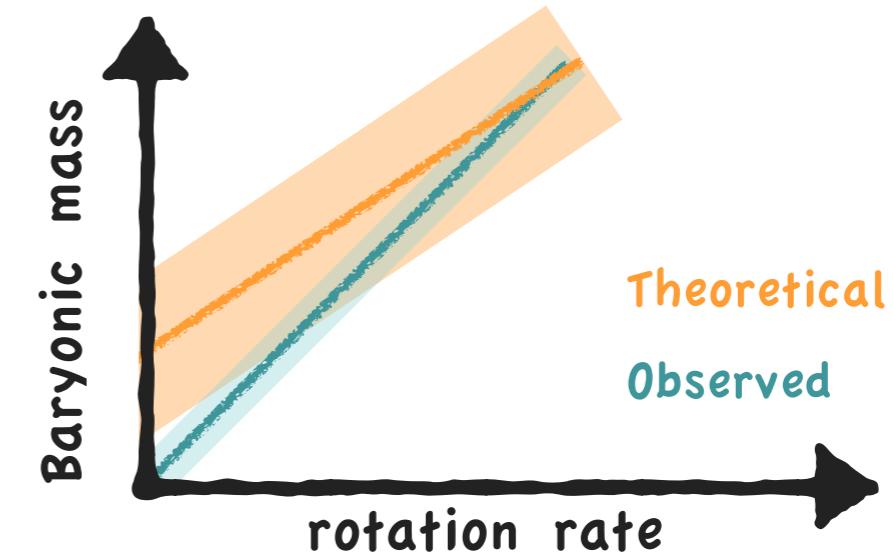


$\Lambda$ CDM

## $S_8 (\sigma_8, \Omega_m)$

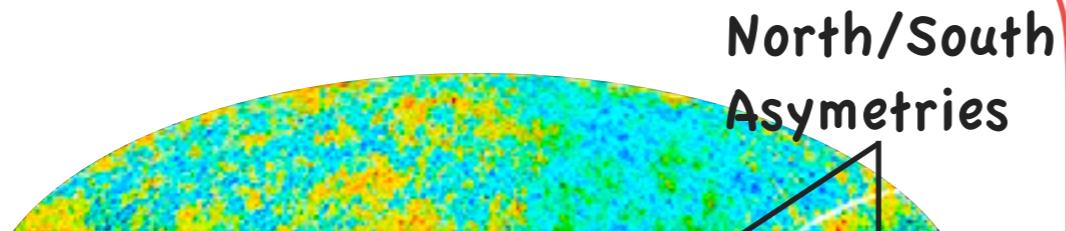


## Galaxy properties



# Cosmology: $\Lambda$ CDM?

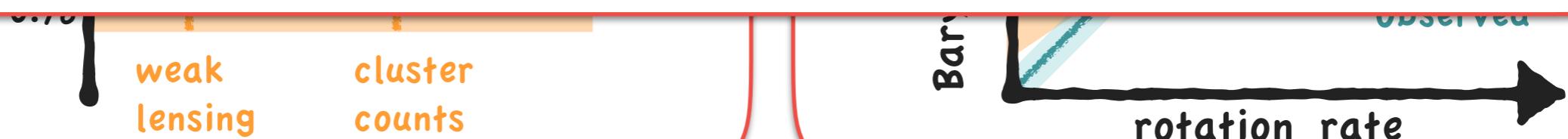
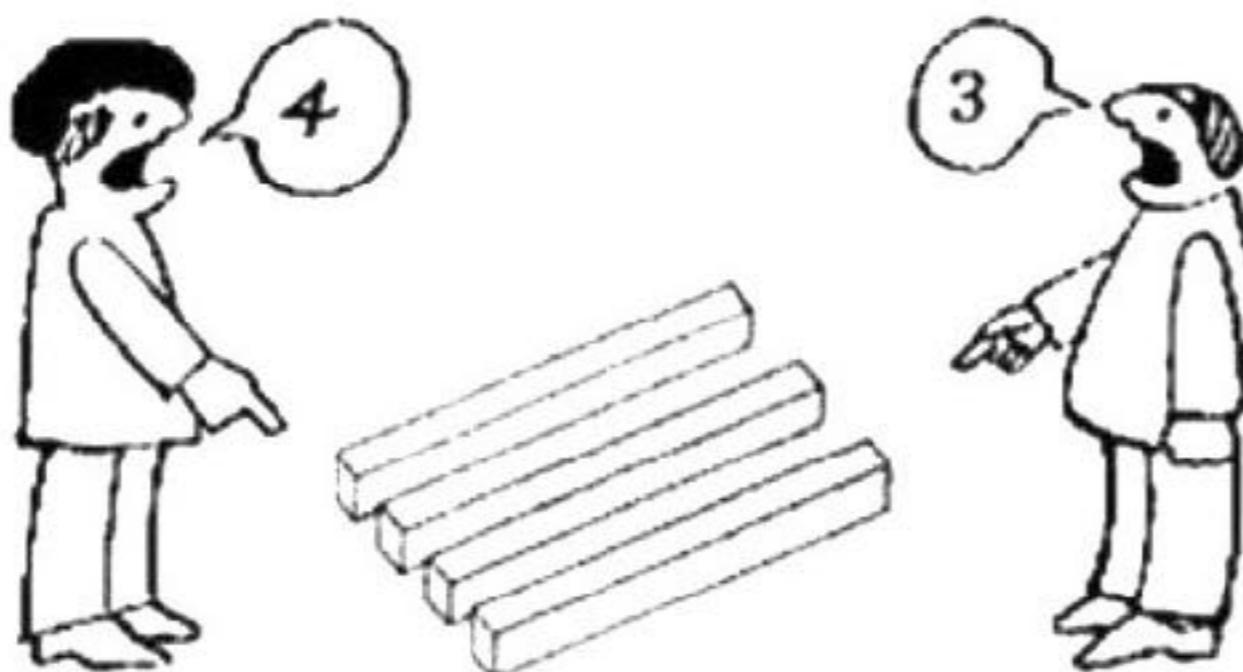
## Anomalies in the CMB



## Universe expansion rate ( $H_0$ )

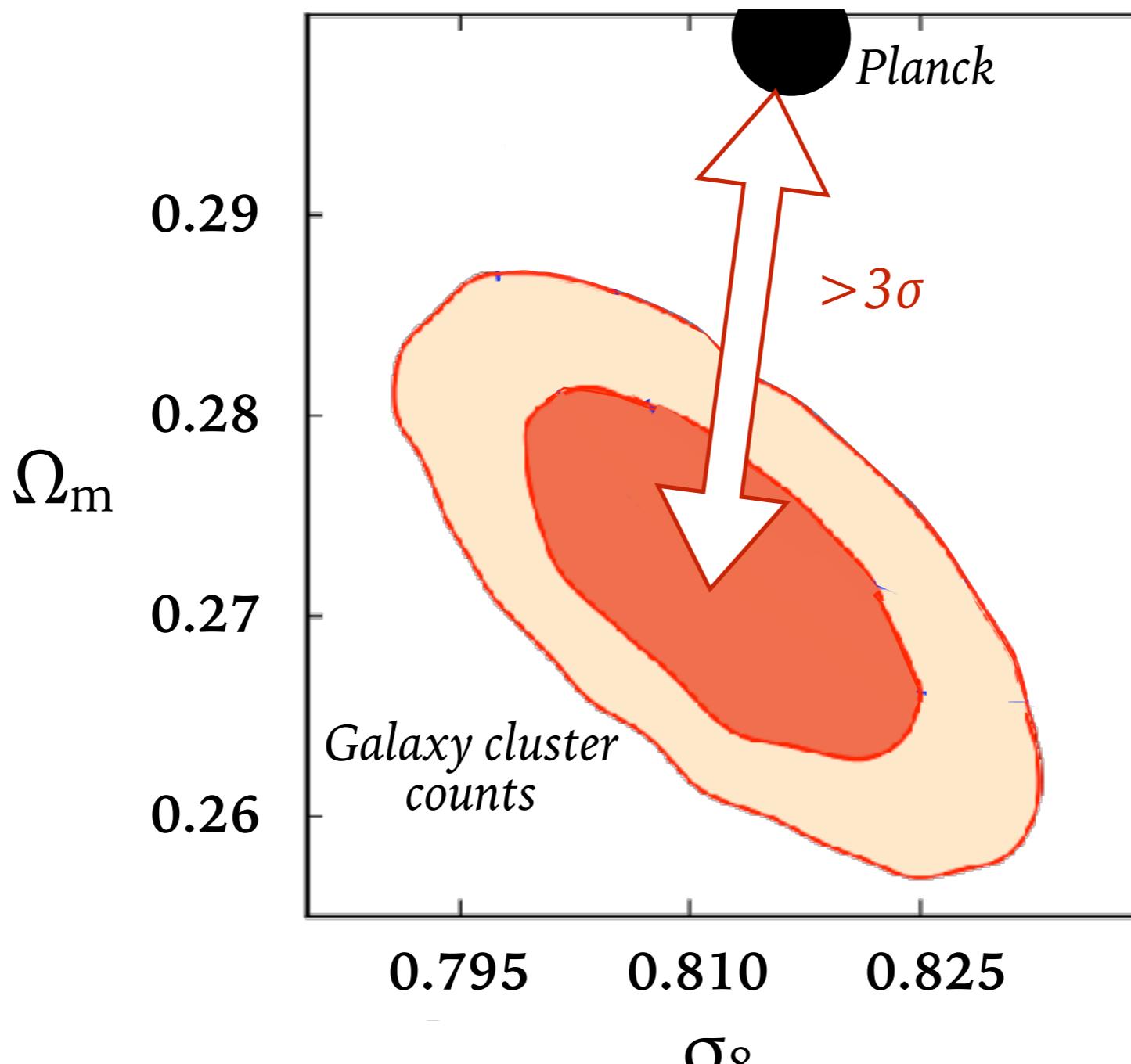


New physics or biases/systematics?



# Example of S8 ( $\sigma_8, \Omega_m$ )

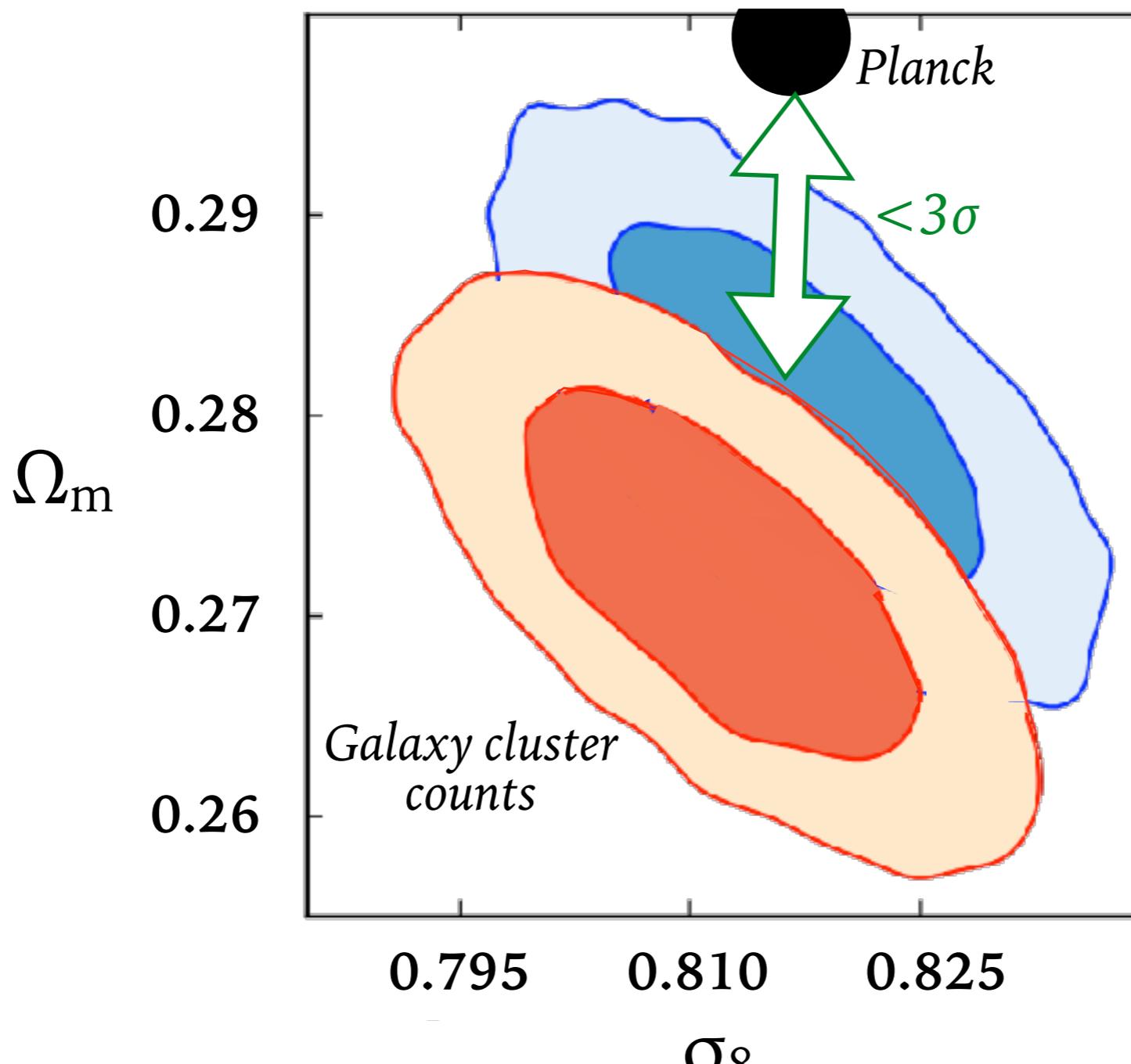
## Galaxy cluster mass function



Planck Collaboration, Pratt+2018

# Example of S8 ( $\sigma_8, \Omega_m$ )

## Changing mass calibration



Planck Collaboration, Pratt+2018

# Example of S8 ( $\sigma_8, \Omega_m$ ) → What and Why?

Hydrostatic equilibrium :  
intracluster medium

$$\frac{dP}{dr} = -\frac{G\rho M_{HE}}{r^2}$$

Spherical symmetry + no  
turbulent/magnetic pressure :

$$\Rightarrow M_{HE}(r) = -\frac{rP_{th}(r)}{G\mu m_p n_e(r)} \frac{d\ln P_{th}(r)}{d\ln r} \longrightarrow M_{HE} = (1 - b)M_{tot}$$

Gravitational potential well : DM +  
Baryons

$$M_{tot} = M_{DM} + M_{gas} + M_{stars}$$



Hydrostatic mass bias

# Example of S8 ( $\sigma_8, \Omega_m$ ) → What and Why?

Hydrostatic equilibrium :  
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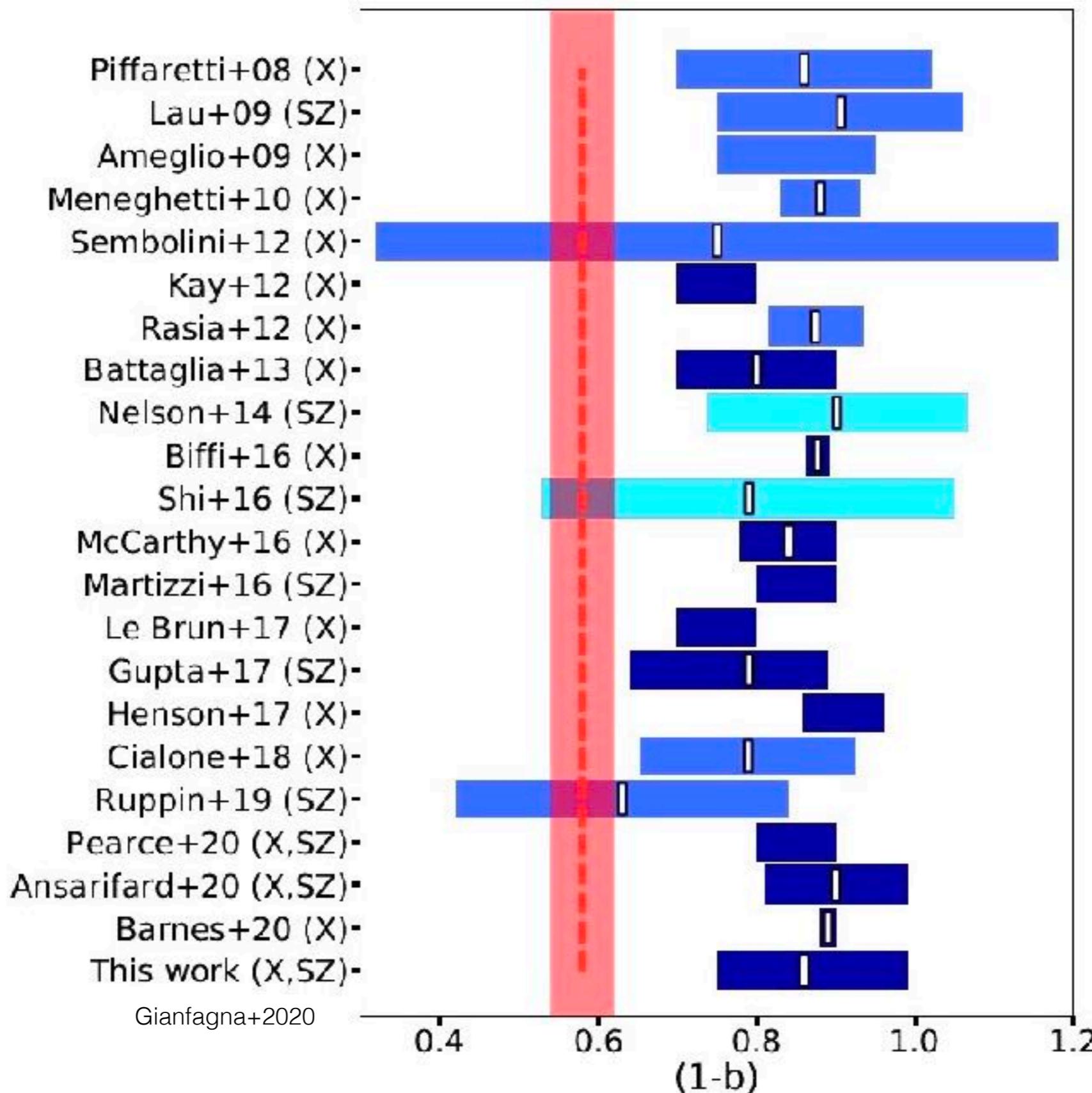


Hydrostatic mass bias

→ From cosmological simulations

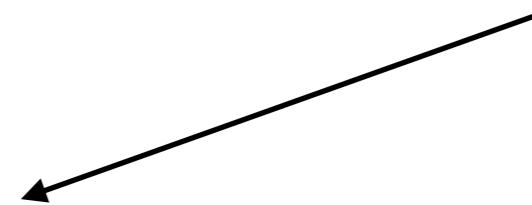
# Example of S8 ( $\sigma_8, \Omega_m$ )

Huge disparity



# Simulations & systematics

$$S8 (\sigma_8, \Omega_m) = X \pm \sigma_{\text{measure}} \pm \sigma_{\text{systematics}}$$



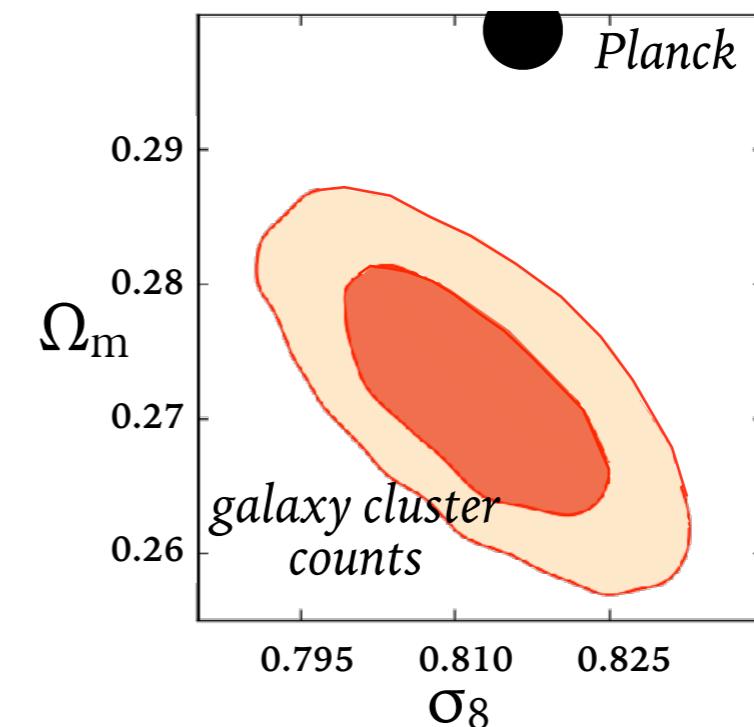
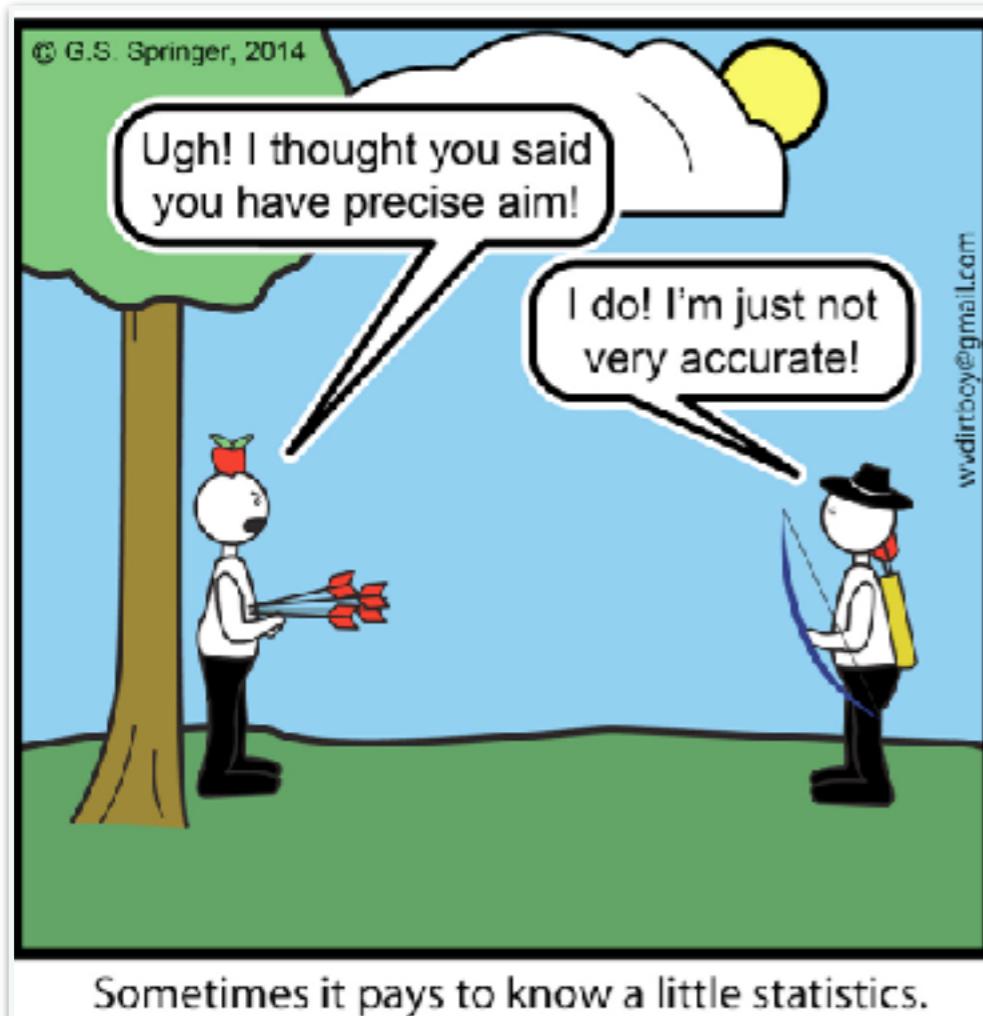
- nb measurements
- instruments/tools sensitivity  
= precision

# Simulations & systematics

$$S8 (\sigma_8, \Omega_m) = X +/\!-\! \sigma_{\text{measure}} +/\!-\! \sigma_{\text{systematics}}$$

- nb measurements
- instruments/tools sensitivity  
= precision

**Standard** cosmological simulations can give the total uncertainty but cannot reduce the systematics

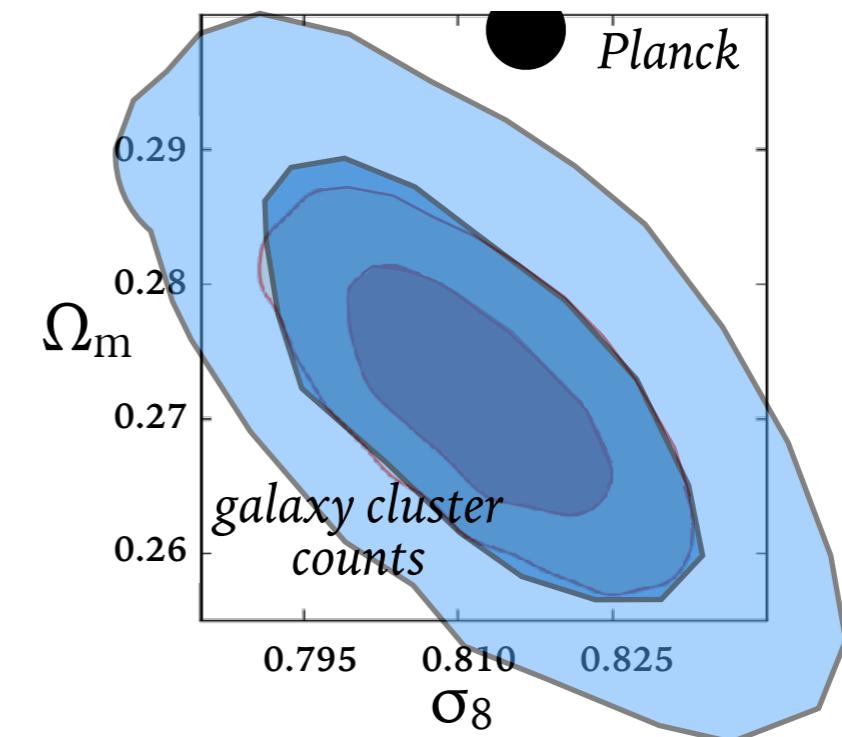
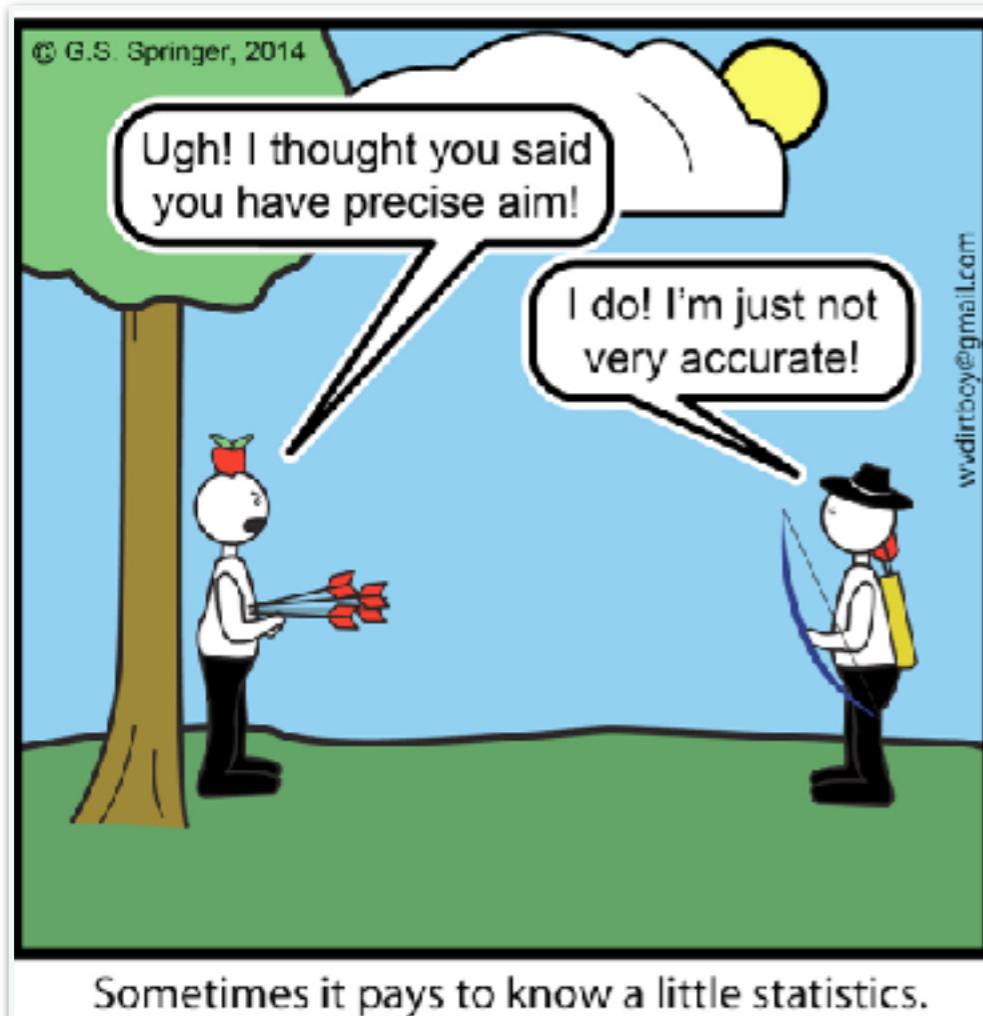


# Simulations & systematics

$$S8 (\sigma_8, \Omega_m) = X +/\!-\! \sigma_{\text{measure}} +/\!-\! \sigma_{\text{systematics}}$$

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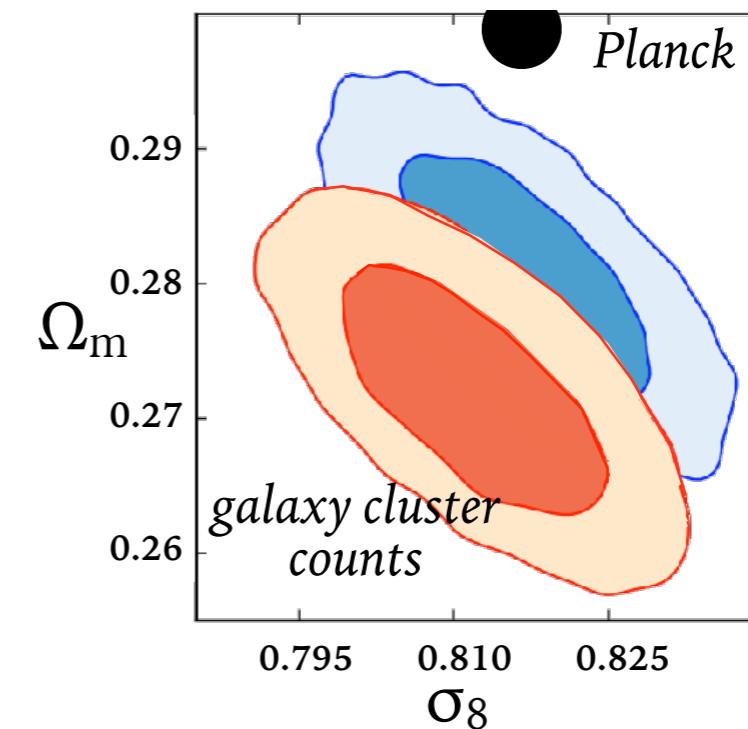
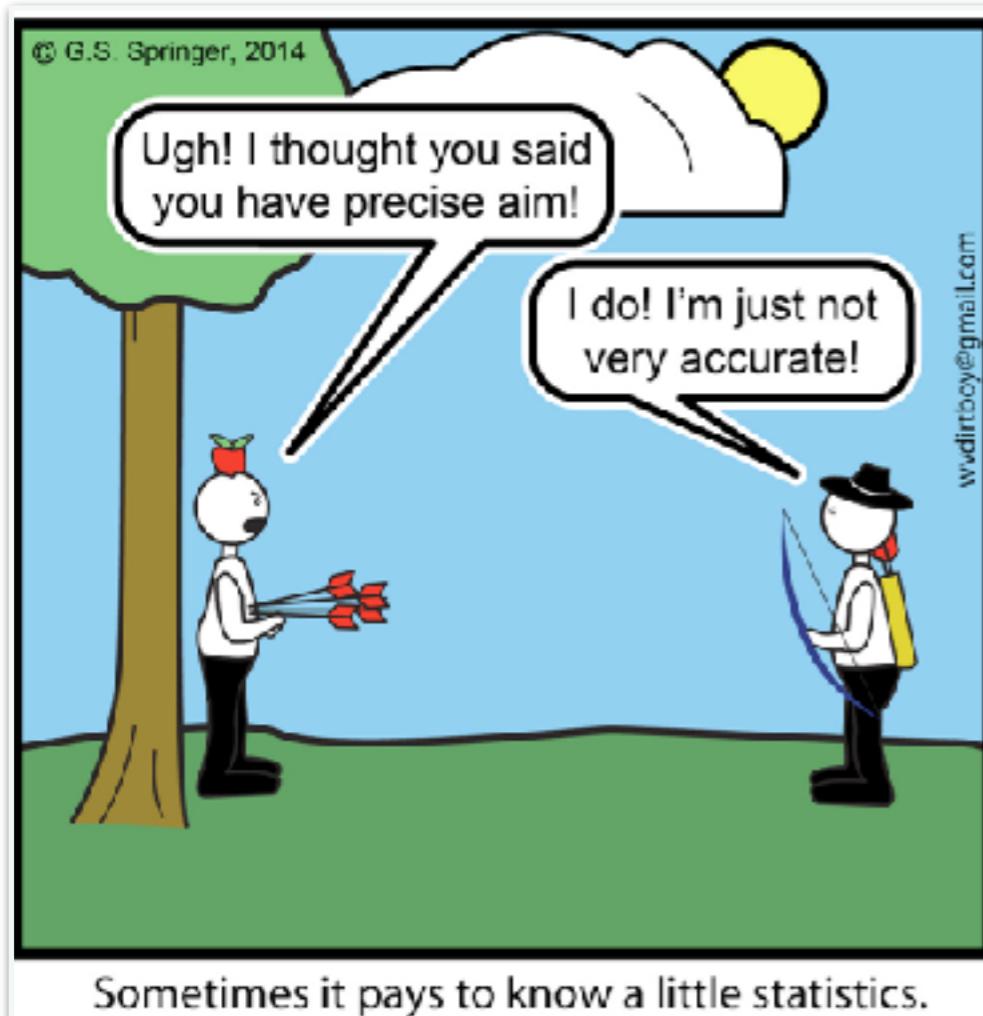


# Simulations & systematics

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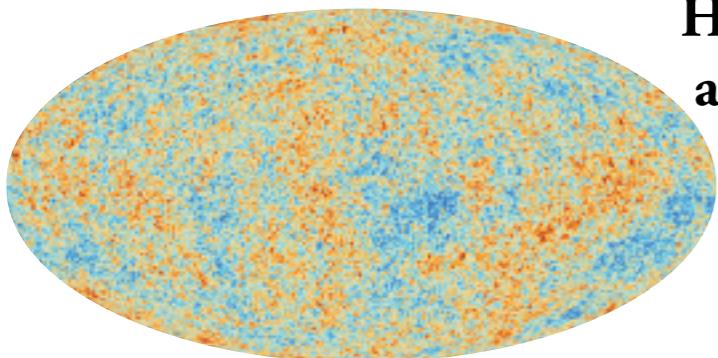
**Standard** cosmological simulations can give the total uncertainty but cannot reduce the systematics



**Constrained** cosmological simulations can help reduce biases

# Standard cosmological simulations

**Part of the Universe at  
13.7 light-Gyr  
Photons received today  
have been emitted when it  
was  $\sim 380\,000$  yrs. old**



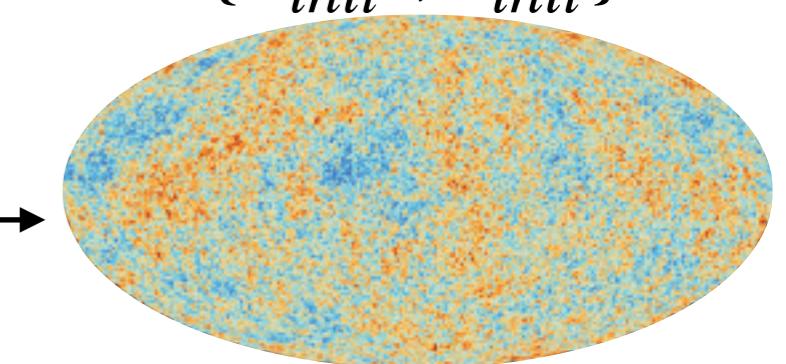
## Initial conditions (ICs)

**Homogeneous and Isotropic Universe**  $\longrightarrow P(k) \longrightarrow$  **Gaussian initial density field**

$$\delta(\mathbf{k}) = \sqrt{P(\mathbf{k})} \cdot \omega(\mathbf{k})$$

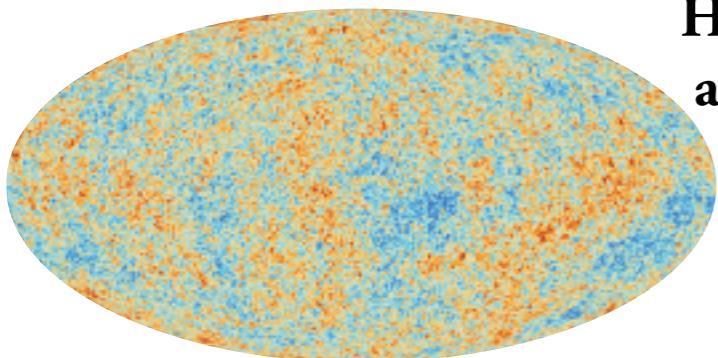
**initial conditions of  
a random patch of  
the Universe**

$$\{\delta_{init}, v_{init}\}$$



# Standard cosmological simulations

**Part of the Universe at  
13.7 light-Gyr  
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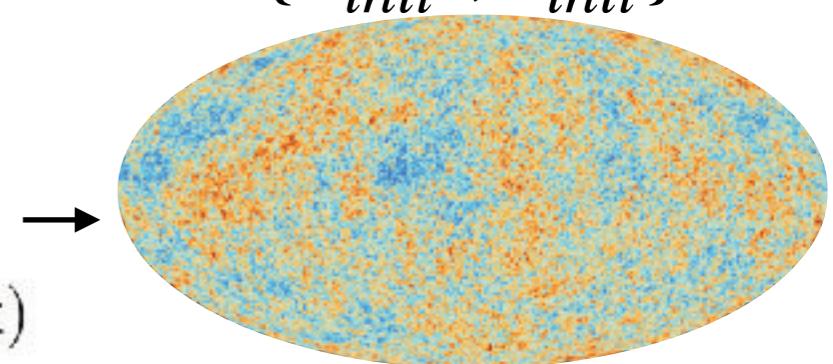
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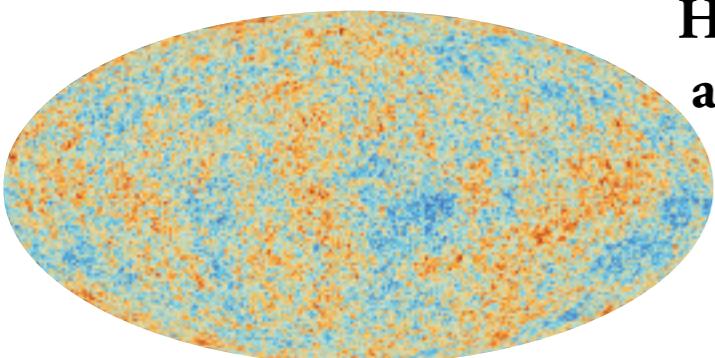
**Linear perturbation  
theory (Euler+  
Continuity+Poisson)**

Why only  $\delta$  ?  $\longrightarrow \nabla \cdot v = -\dot{a}f\delta$

NB: only divergent (no tidal) but periodic boundaries

# Standard cosmological simulations

**Part of the Universe at  
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Photons received today  
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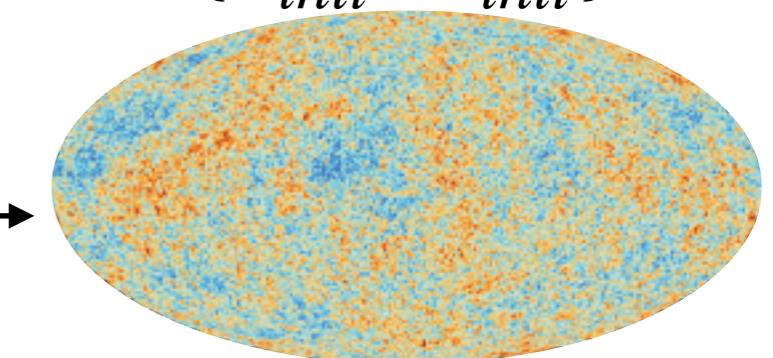
## Initial conditions (ICs)

**initial conditions of  
a random patch of  
the Universe**

$$\{\delta_{init}, v_{init}\}$$

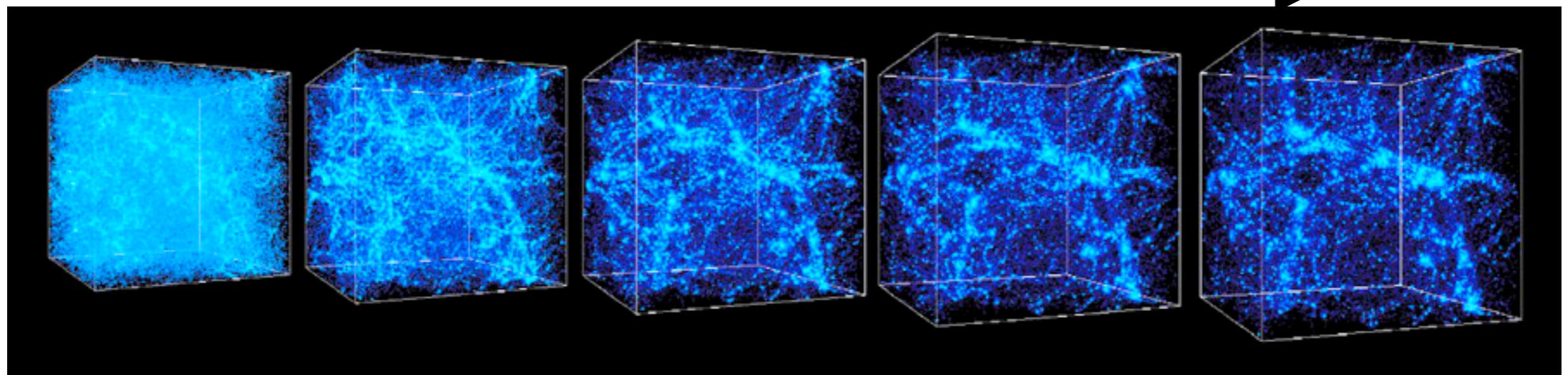
**Homogeneous  
and Isotropic  
Universe**  $\longrightarrow P(k) \longrightarrow$  **Gaussian  
initial density  
field**

$$\delta(\mathbf{k}) = \sqrt{P(\mathbf{k})} \cdot \omega(\mathbf{k})$$



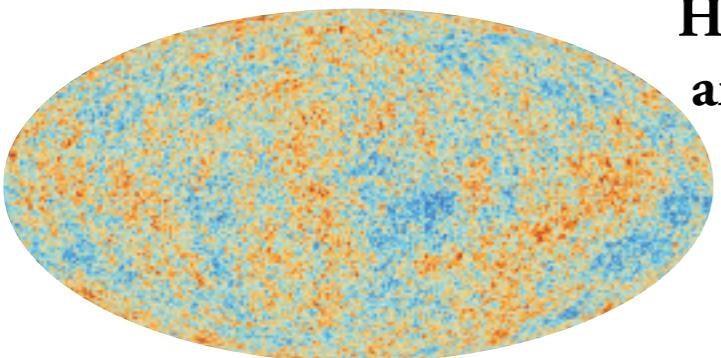
## Evolution

**Linear perturbation  
theory + "kick"**



# Constrained cosmological simulations

Part of the Universe at  
13.7 light-Gyr  
Photons received today  
have been emitted when it  
was  $\sim 380\,000$  yrs. old



Homogeneous  
and Isotropic  
Universe

$$\longrightarrow P(k)$$

Gaussian  
initial density  
field

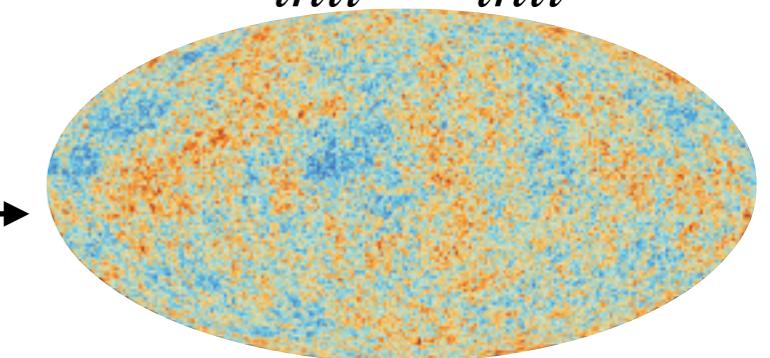
$$\longrightarrow$$

$$\delta(\mathbf{k}) = \sqrt{P(\mathbf{k})} \cdot \omega(\mathbf{k})$$

?

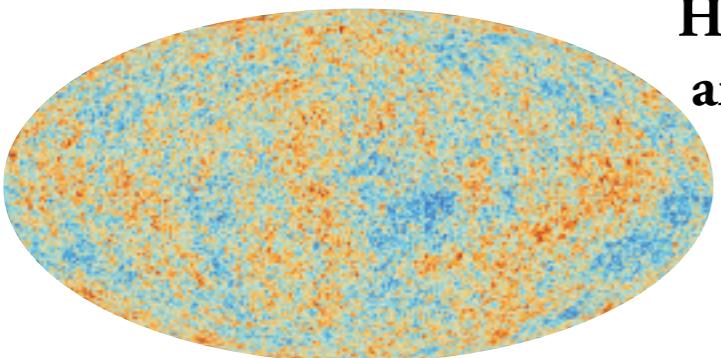
initial conditions of  
the local Universe

$$\{\delta_{init}, v_{init}\}$$



# Constrained cosmological simulations

Part of the Universe at  
13.7 light-Gyr  
Photons received today  
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Homogeneous  
and Isotropic  
Universe

$$\longrightarrow P(k)$$

Gaussian  
initial density  
field

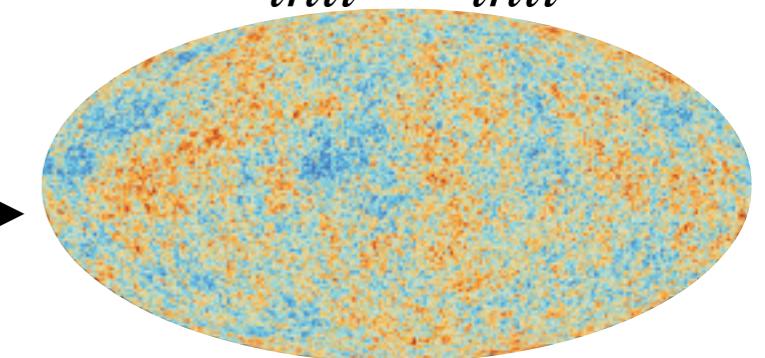
$$\longrightarrow$$

$$\delta(\mathbf{k}) = \sqrt{P(\mathbf{k})} \cdot \omega(\mathbf{k})$$



initial conditions of  
the local Universe

$$\{\delta_{init}, v_{init}\}$$



## Type of constraints

Redshift



Peculiar  
velocity

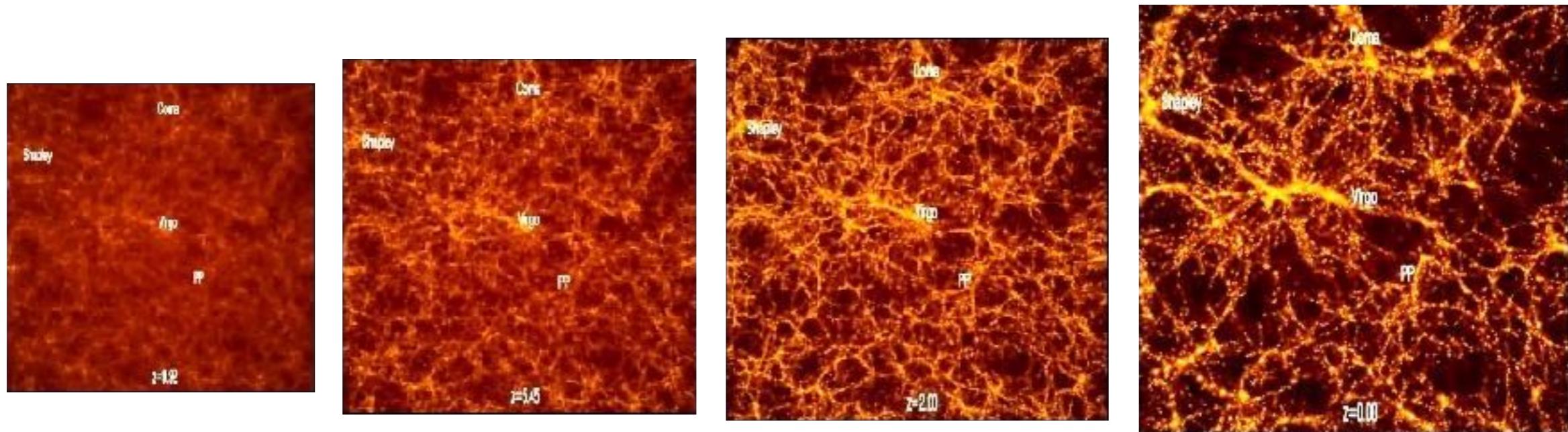


NB: both with pros and cons!



# Constrained cosmological simulations

► e.g. CLONES



# Evolution

Sorce+2016

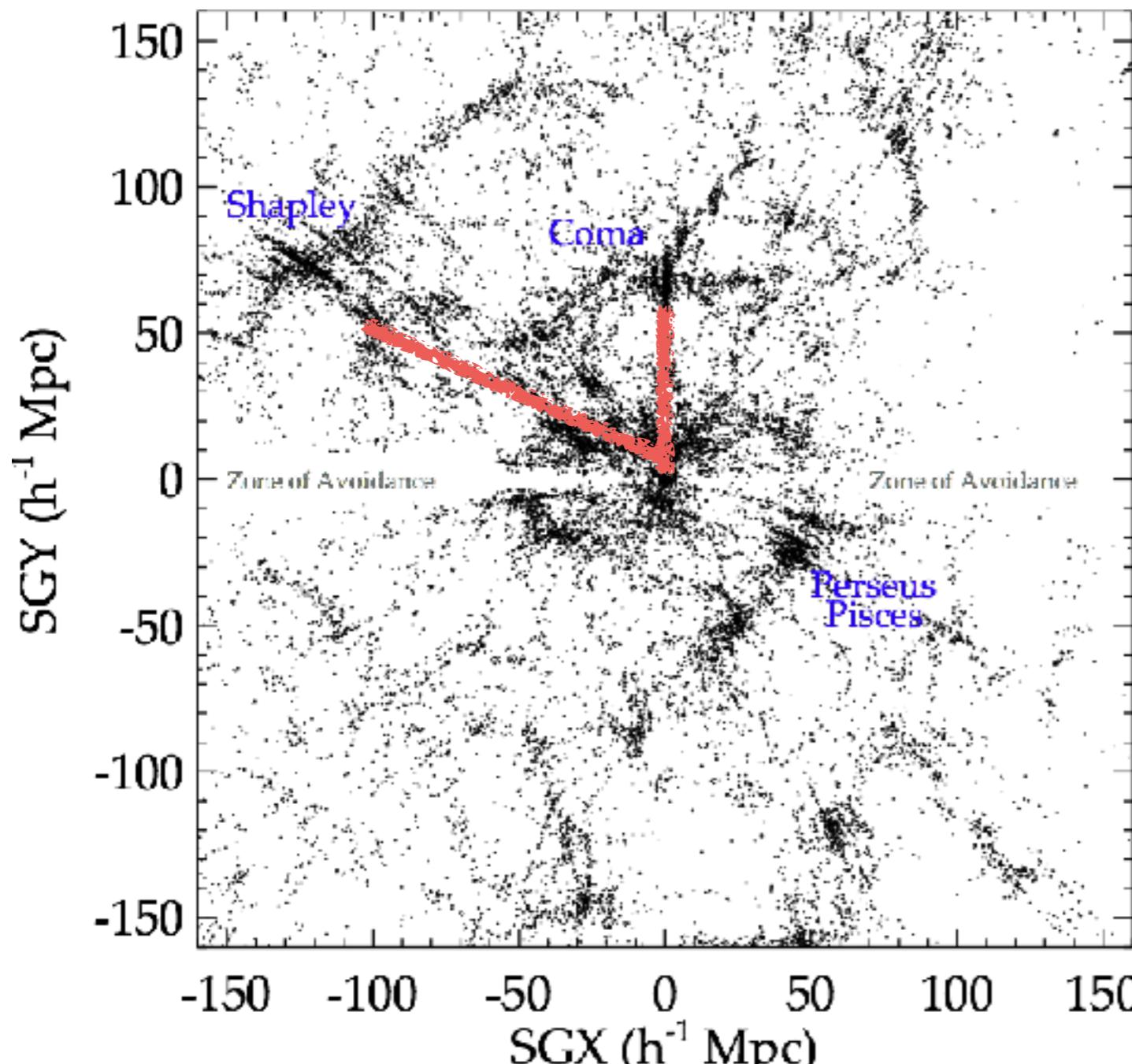
Sorce2018



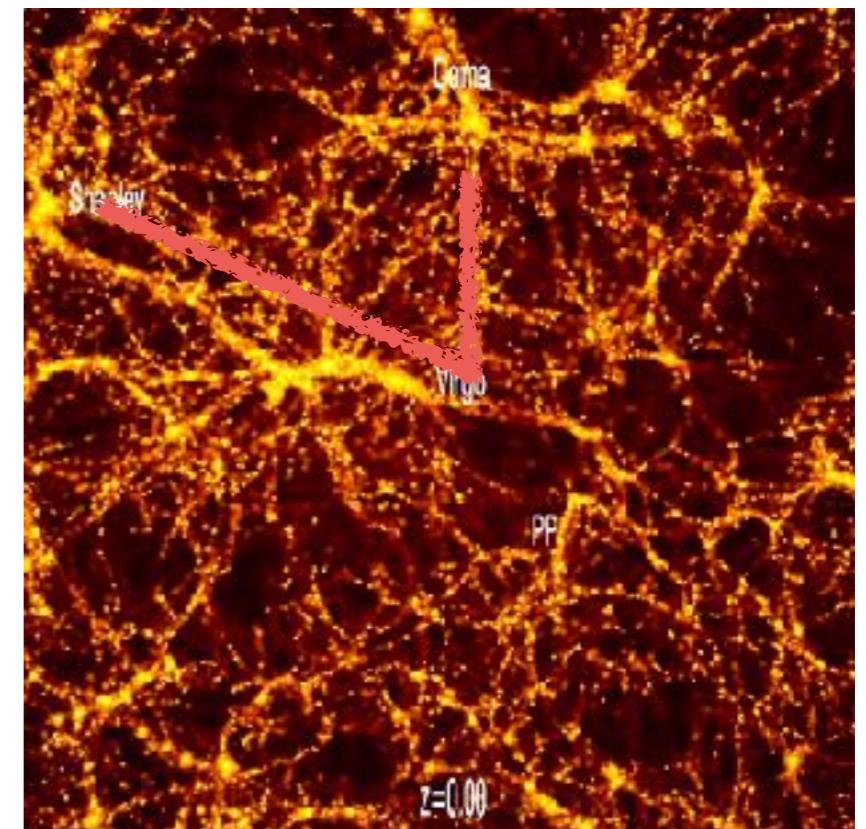
# **CLONES = Constrained LOcal & Nesting Environment Simulations**

# CLONES: an independent $M_{\text{tot}}$ estimate?

Sorce2018

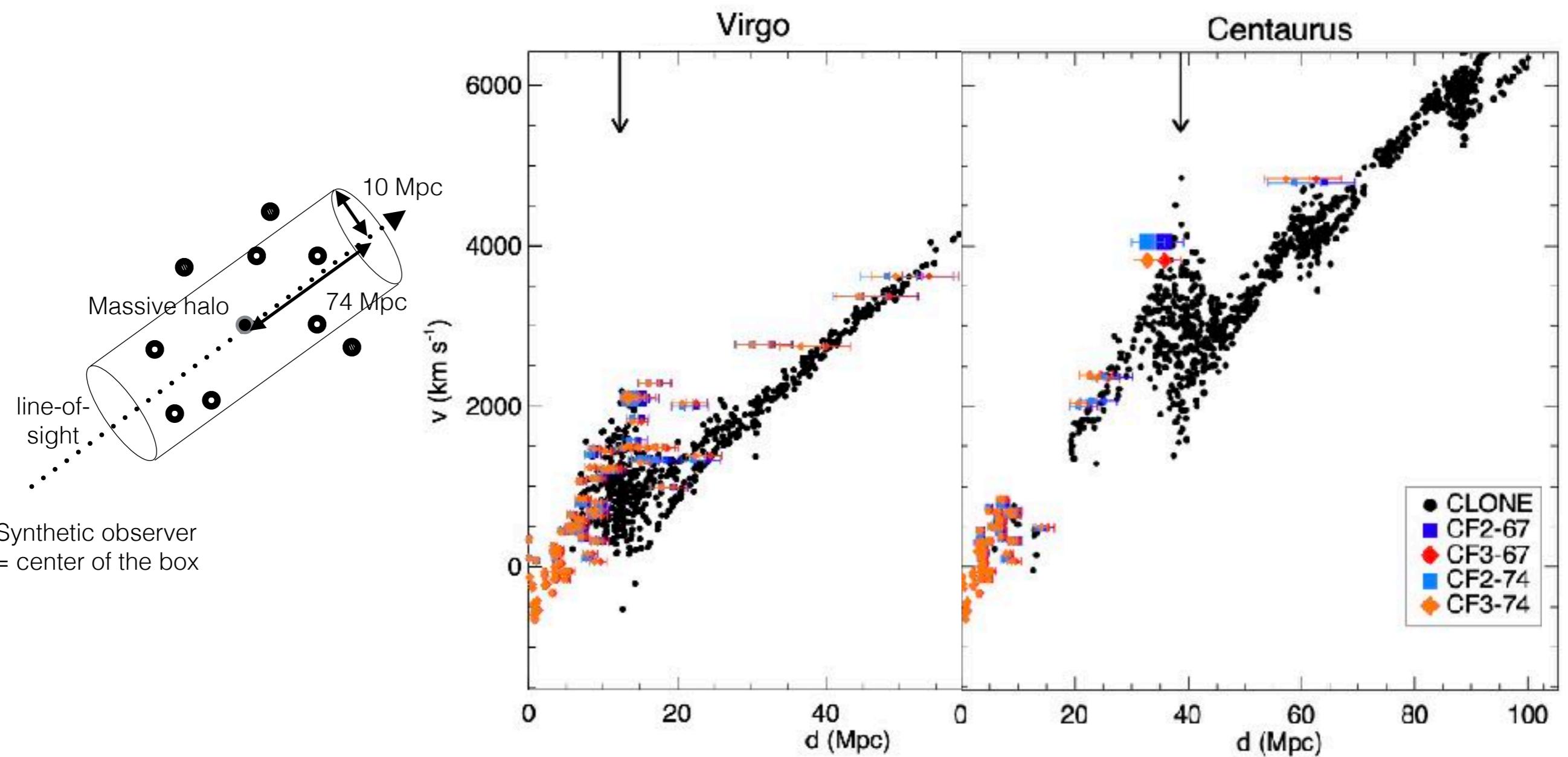


Note the fingers of gods



500 Mpc/h,  $1024^3$  particles,  
DM only, Planck cosmology

## Velocity wave signatures in the Hubble diagram



500 Mpc/h,  $2048^3$  particles, DM only, Planck cosmology

# CLONES: hydrostatic mass bias & projection effects

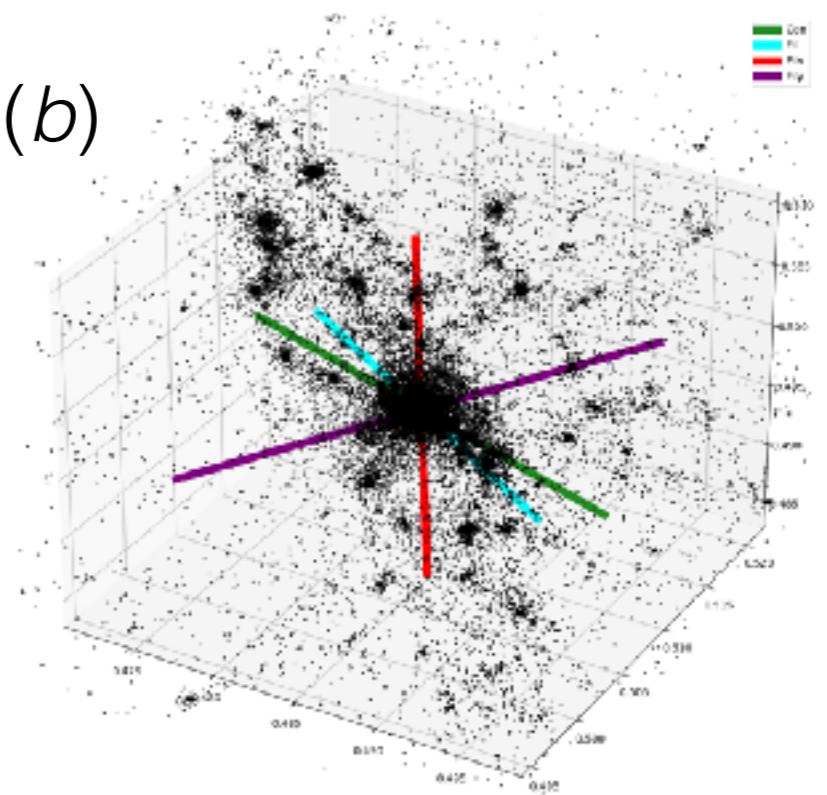


Théo Lebeau

**Project:** using a CLONE of the local Volume that contains replicas of local clusters to study the impact of

- the dynamical state of the cluster (substructures, morphology)
- the local Environment (connectivity)
- the formation history (accretion from filaments, merging)

on the hydrostatic mass bias ( $b$ )



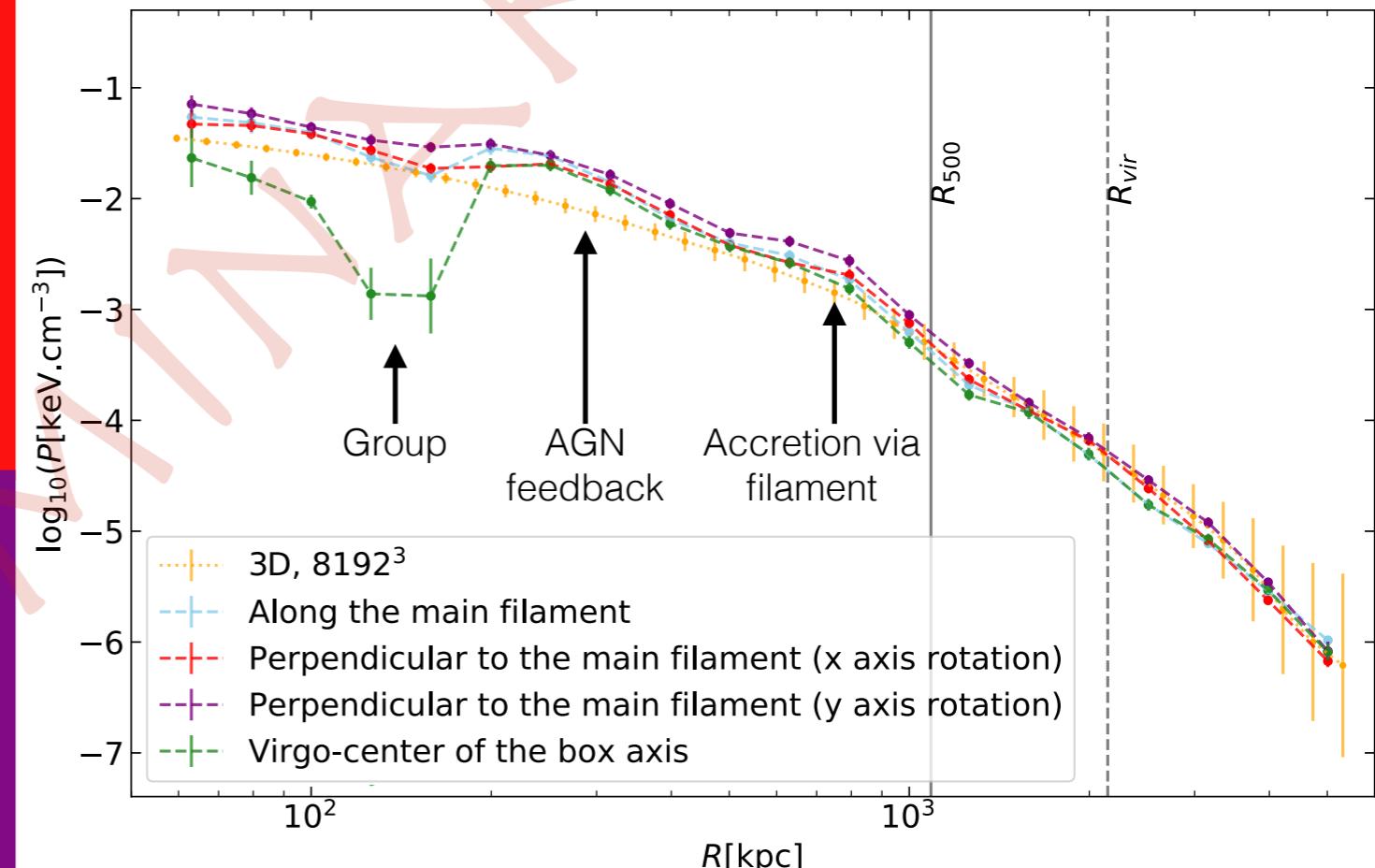
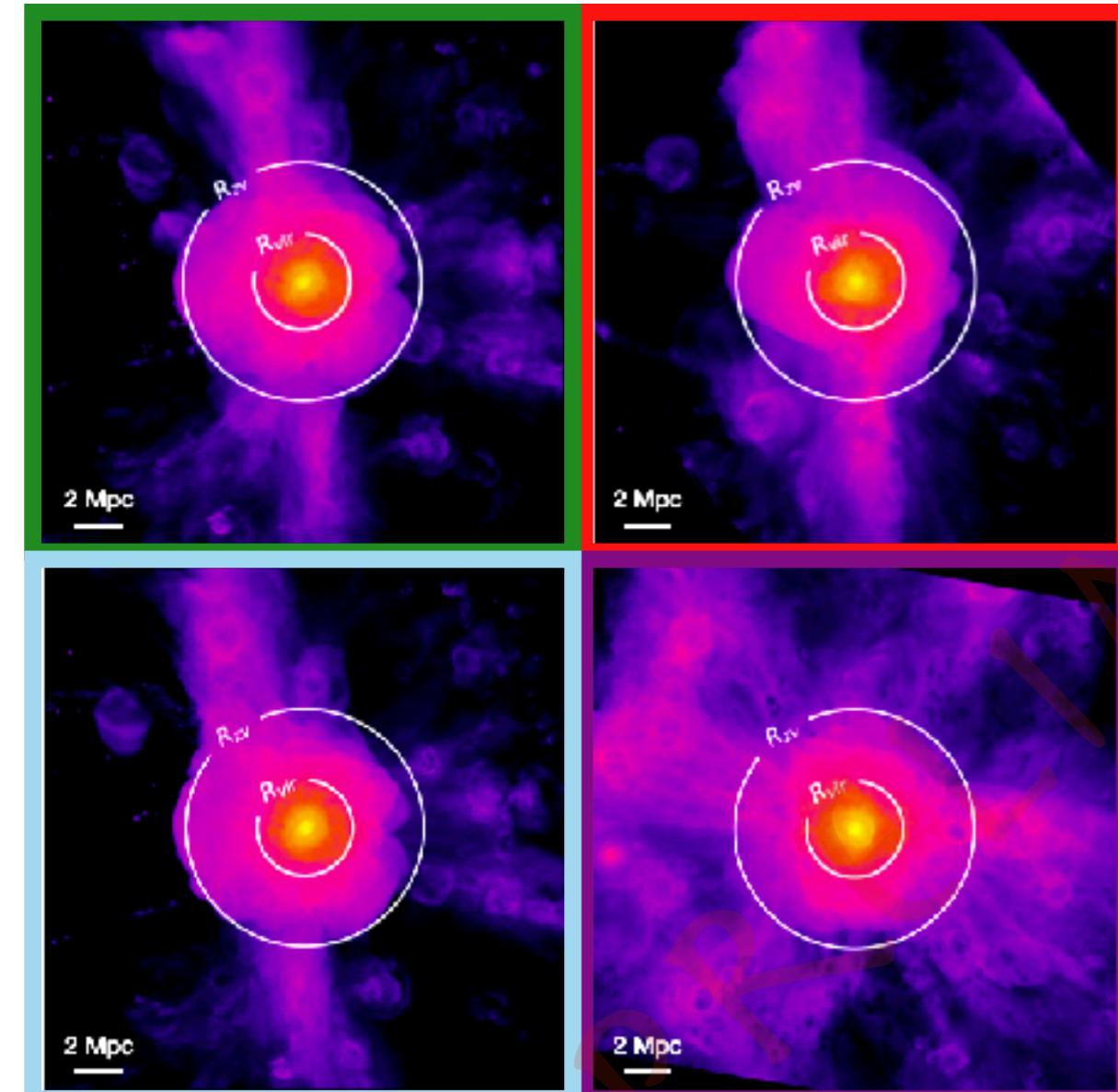
-> *Example of the projection effects on the hydrostatic mass bias in the case of the Virgo cluster*

# CLONES: hydrostatic mass bias & projection effects

Example of the Virgo galaxy cluster



Théo Lebeau



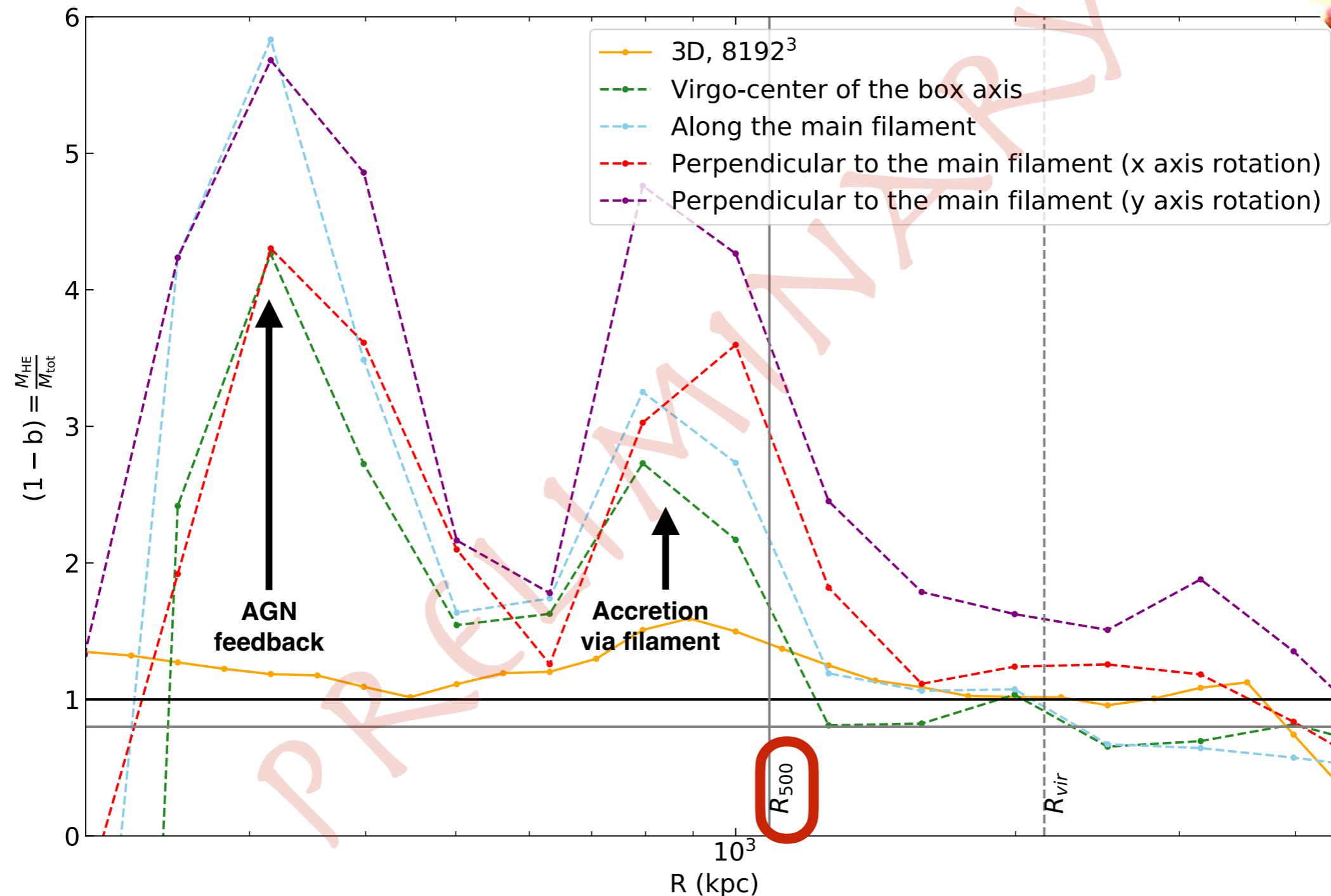
$$M_{HE}(r) = - \frac{rP_{th}(r)}{G\mu m_p n_e(r)} \frac{d\ln P_{th}(r)}{d\ln r} = (1 - b)M_{tot}$$

Lebeau+in prep.

# CLONES: hydrostatic mass bias & projection effects

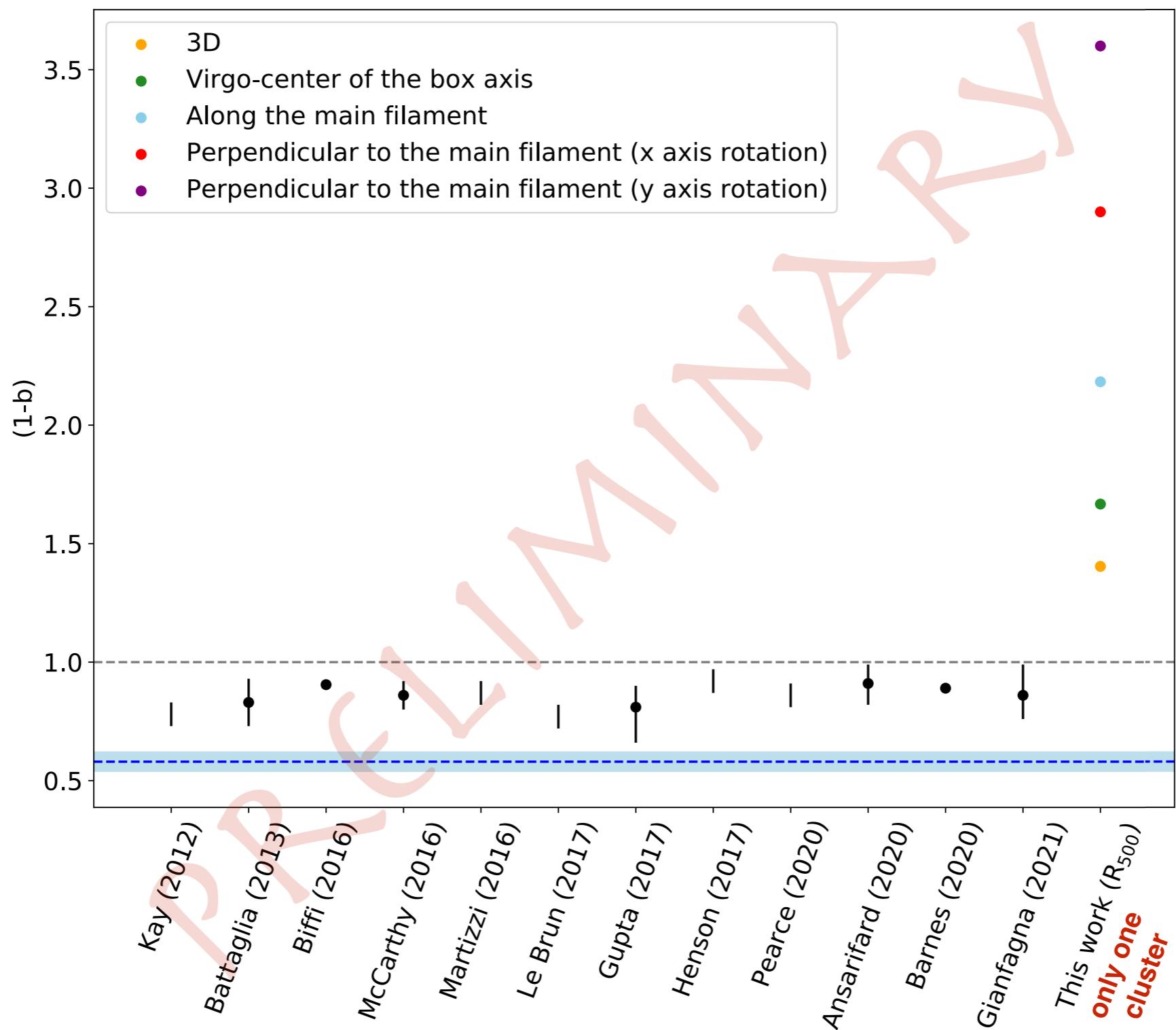


Théo Lebeau



Lebeau+in prep.

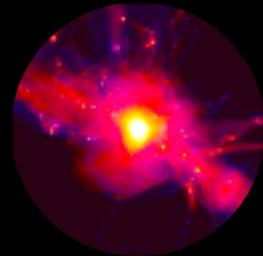
# CLONES: hydrostatic mass bias & projection effects



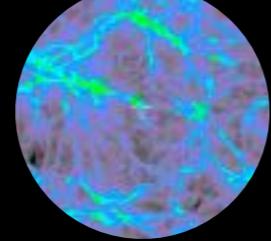
Lebeau+in prep.

# CLONES are widely used

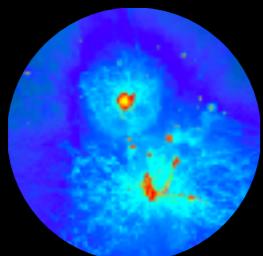
and  
more...



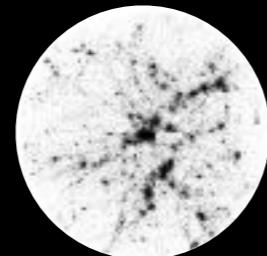
Virgo Cluster  
(Sorce+2016, 2019, 2021, in  
prep., Olchanski & Sorce 2018,  
Lebeau+ in prep.)



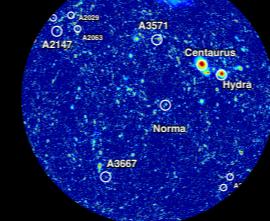
Cosmic Rays in the  
local Universe  
(Hackstein+2018, Boess+in  
prep.)



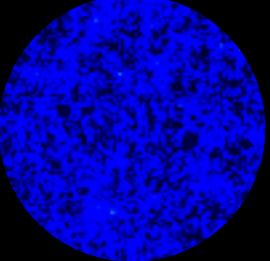
HESTIA: Local Group  
Carlesi,Sorce+2016,Carlesi+2016,  
2017, Libeskind+2020, Damle+2022,  
Newton+2022; Luis+2022,  
Dupuy+2022, Arora+2022,  
Khoperskov+2022a,b,c



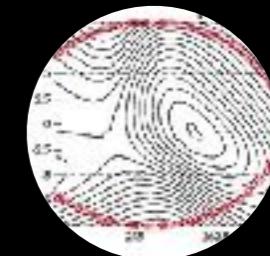
Coma connectivity  
(Malavasi, Sorce, Dolag,  
Aghanim submitted)



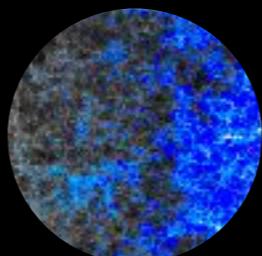
SLOW: local web  
(Dolag, Sorce+2023)



LOCALIZATION: local  
cluster signatures  
(Sorce, Aghanim, Lebeau,  
Jung, Dolag)



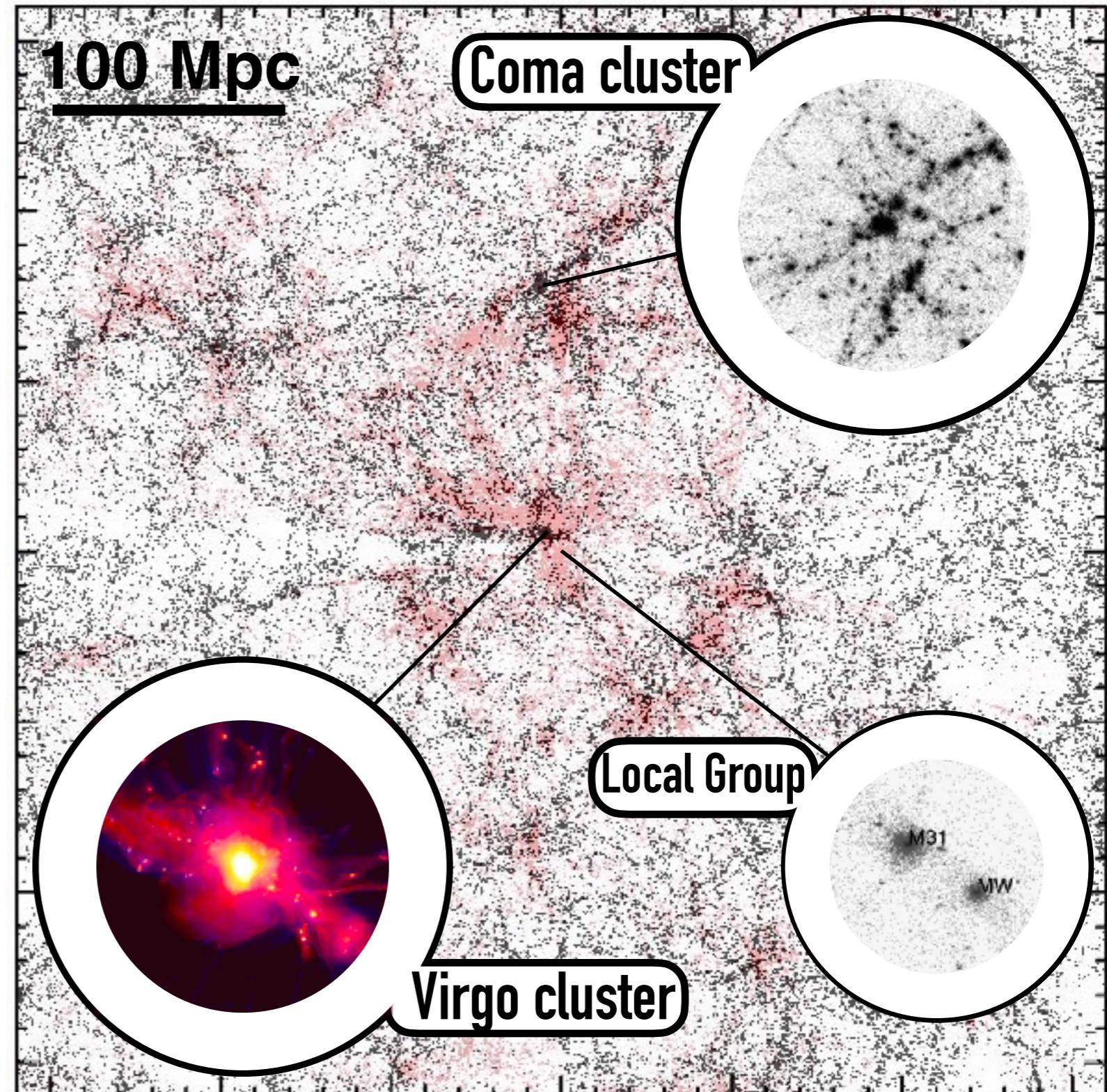
Zone of Avoidance  
(Sorce+2017)



CoDa: Reionization of  
the local Universe  
(Ocvirk+2020, Lewis+2020,  
Gronke+2021, Sorce+2022,  
Lewis+2022, Park+2022)

# Conclusion

- **Standard** cosmological simulations give only the full uncertainty
- **Constrained** cosmological simulations can permit **reducing biases/systematics**
- **CLONES are constrained** cosmological simulations valid down to the cluster scales with induced smaller scales
- CLONES are **widely used** and **maybe you are the next users!**



**Thank you, Merci, Grazie,  
Gracias, Danke,  
Mahalo, 谢谢, ありがとう,  
הודה, Obrigada, Dank u,  
Tak, Cảm ơn, Dziękuję, 감사합니다  
Kiitos, Aitäh, diolch, dankewol,  
ଧନ୍ୟବାଦଗତୁ, ...\***

\* Missing your ‘thanks’ spelling? It means I did not get the chance to learn how to say it so far

